

# CE 103: Surveying

## Lecture 5: Contouring and Compass

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# Outline

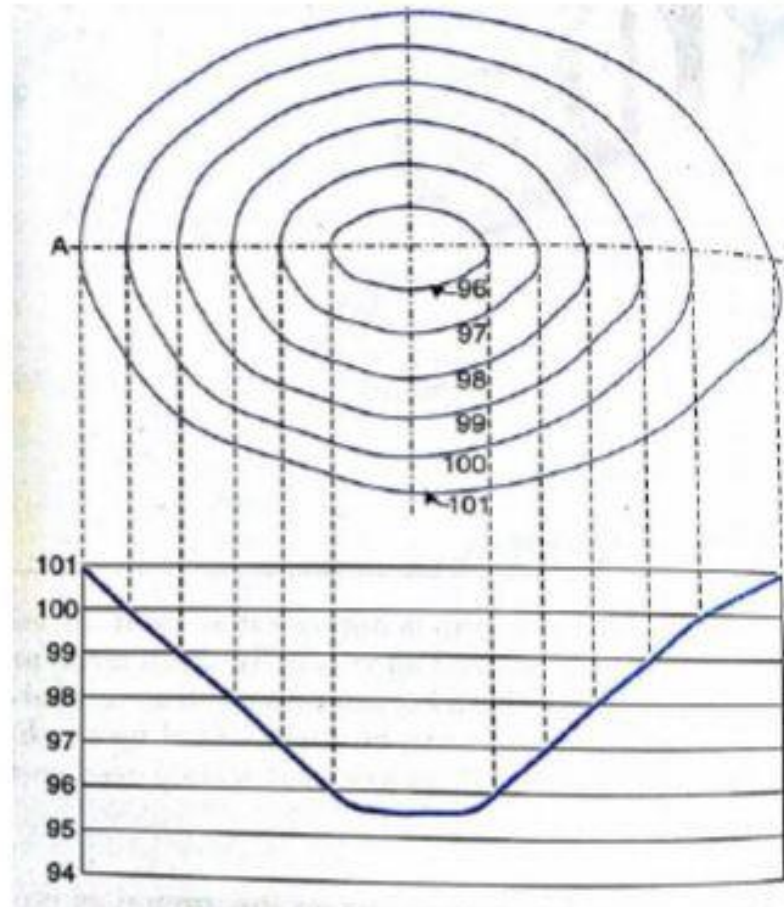
- ❑ Contour intervals
- ❑ Characteristics of contour
- ❑ True meridian, magnetic meridian
- ❑ Whole circle bearing and reduced bearing

**Contour :**

Imaginary lines joining points of equal elevation (R.L.)

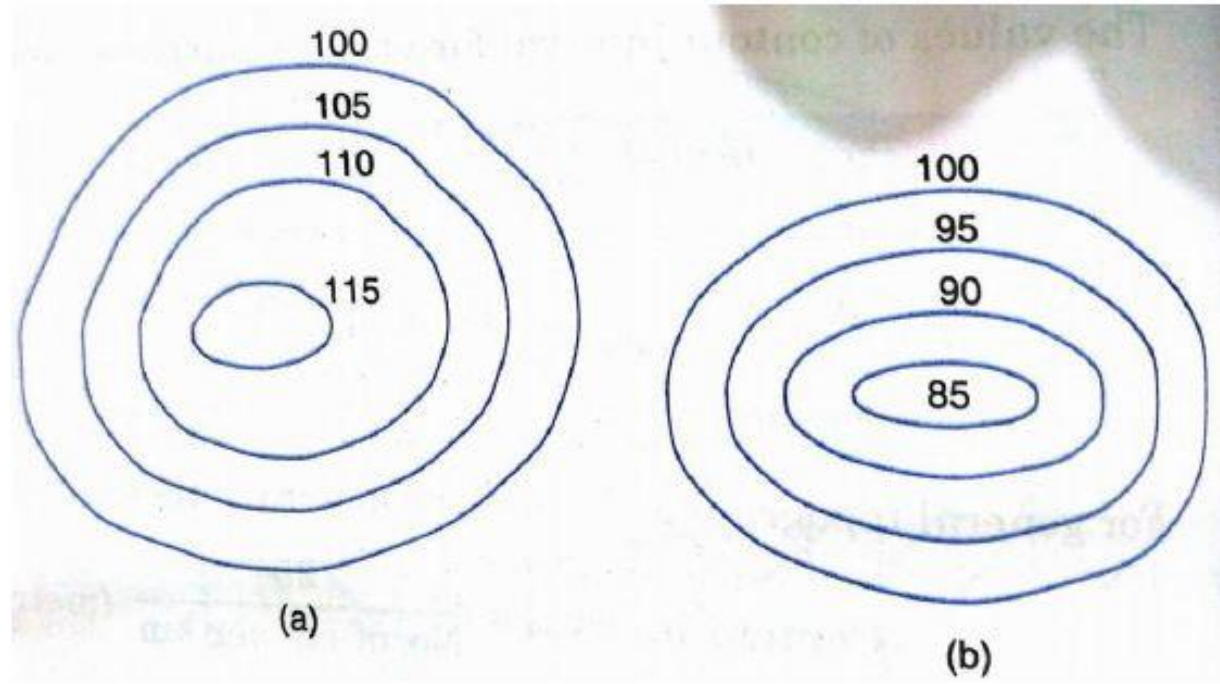
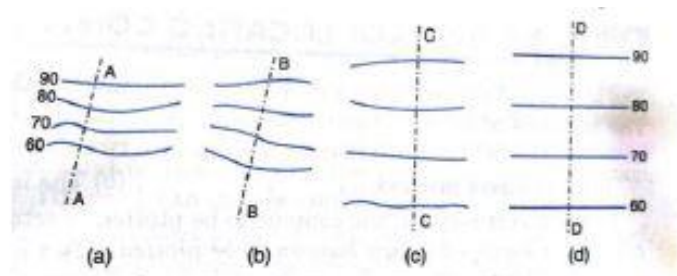
**Contour Intervals :**

Elevation difference between successive contours.



### **Characteristics of Contours:**

- Two contour lines of different elevation cannot cross each other.
- Two contour lines of different elevation cannot touch each other.
- Closely spaced contour lines represents steep slope, while far apart contour lines represent gentle slope.
- If contours are uniformly spaced, they represent uniform slope.
- The direction of steepest slope at a point on a contour is at right angles to the contour.
- A contour must close itself or go off the map.
- A closed contour line with one or more higher ones inside it represents a hill; similarly , a closed contour line with one or more lower ones inside indicate a depression.



### **Methods of Contouring:**

There are two main methods. They are-

- i) Direct Method
- ii) Indirect Method

#### **Direct Method:**

- Contours to be plotted is directly traced on the ground surface.
- Slow and tedious method (Staff is removed around till desired reading is obtained).
- Used for small areas where greater accuracy is required.
- Field work consists of (a) location of contour points by levelling (b) location of those points by chain, traverse or plane table surveying.

#### **Indirect Method:**

- Elevation are measured at fixed points along system of straight lines or points of topographic importance so that contours can represent salient topographic features.
- Contours are drawn by linear interpolation by assuming uniform slope between adjacent points where staff readings have been taken.
- There are two methods for indirect technique-
  - i) Square/Grid Method
  - ii) Radial System

**(a) Square/Grid Method:**

- Suitable for small relatively flat areas, where the area is divided into a grid containing squares. The square size may be varied depending on topographic features. Square size used range from 10 ft to 100 ft.
- Staff readings are taken at corners of squares.

**(b) Radial system:**

- Several radial lines from a suitable point are set out.
- Staff readings are taken at suitable intervals along radial lines.

## THE COMPASS

### 6.1 Bearing

**Bearing:** Bearing of a line is its direction relative to a given meridian. A meridian is direction such as (1) True Meridian (2) Magnetic Meridian (3) Arbitrary Meridian.

1. **True Meridian:** True meridian through a point is the line in which a plane, passing through that point and the north and south poles, intersects with surface of the earth. It, thus, passes through the true north and south. The direction of true meridian through a point can be established by astronomical observations.

**True Bearing:** True bearing of a line is the horizontal angle which it makes with the meridian through one of the extremities of the line. Since the direction of true meridian through a point remains fixed, the true bearing of a line is a constant quantity.

2. **Magnetic Meridian:** Magnetic meridian through a point is the direction shown by a freely floating and balanced magnetic needle free from all other attractive forces. The direction of magnetic meridian can be established with the help of a magnetic compass.

**Magnetic Bearing:** The magnetic bearing of a line is the horizontal angle which makes with the magnetic meridian passing through one of the extremities of the line. A magnetic compass is used to measure it

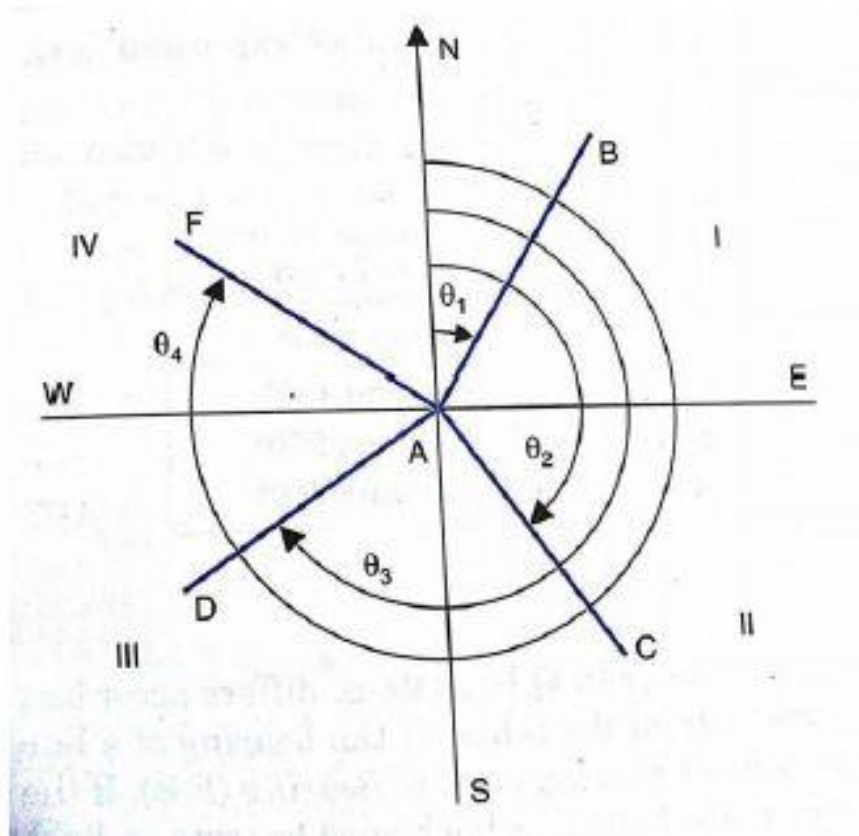
3. **Arbitrary Meridian:** Arbitrary meridian is any convenient direction towards permanent and prominent mark or signal, such as a church spire or top of a chimney. Such meridians are used to determine the relative positions of lines in a small area

**Arbitrary Bearing:** Arbitrary bearing of a line is the horizontal angle which it makes with any arbitrary meridian passing through one of the extremities. A theodolite or sextant is used to measure it.



**(a) The Whole Circle Bearing:**

In this system, the bearing of a line is measured with magnetic north in clockwise direction. The value of the bearing thus varies from  $0^\circ$  to  $360^\circ$ . Prismatic compass is graduated on this system. In India and U.K., the W.C.B. is measured clockwise with magnetic north. Referring to Fig. 6.1, the W.C.B. of  $AB$  is  $\theta_1$ , of  $AC$  is  $\theta_2$ , of  $AD$  is  $\theta_3$  and of  $AF$  is  $\theta_4$ .



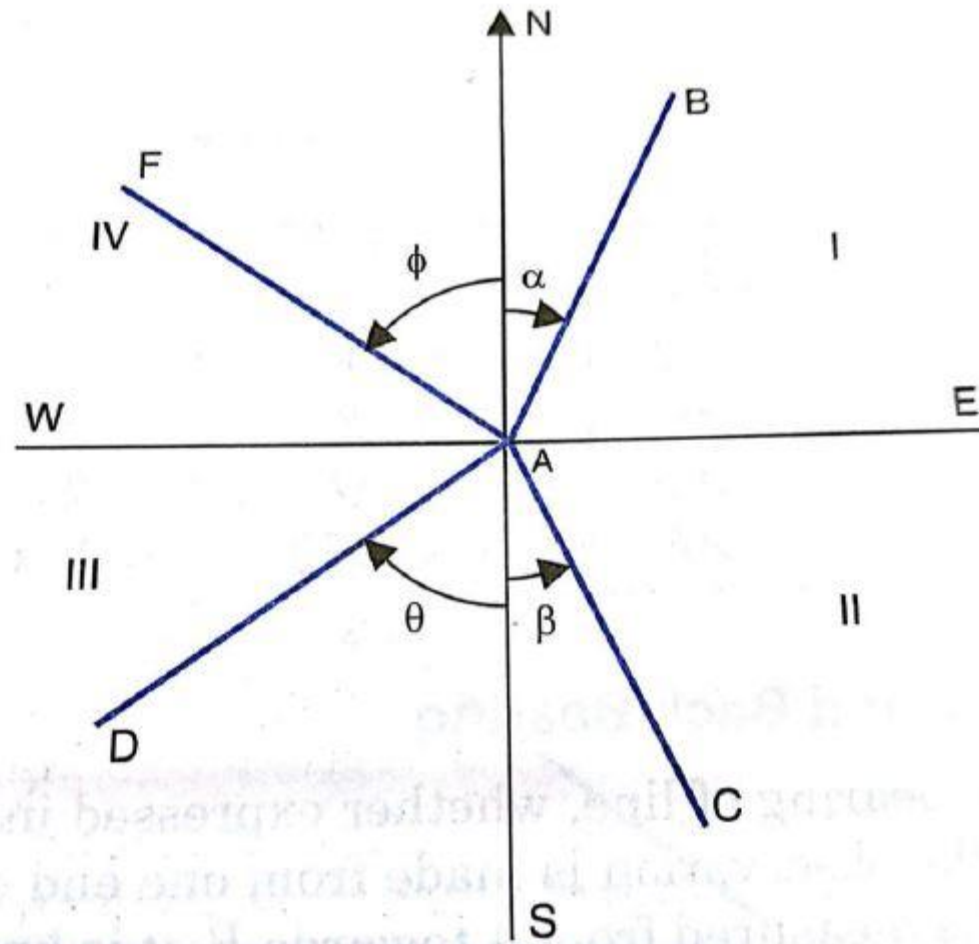


Figure 6.2: Q.B. System

### 6.3 Conversion of Bearings from one system to other:

Conversion from W.C.B. to R.B. with reference to Figure 6.1 is given below:

Line	W.C.B. (Between)	Quadrant	R.B.
AB	$0^{\circ}$ to $90^{\circ}$	NE	R.B. = W.C.B.
AC	$90^{\circ}$ to $180^{\circ}$	SE	R.B. = $180^{\circ}$ - W.C.B.
AD	$180^{\circ}$ to $270^{\circ}$	SW	R.B. = W.C.B. - $180^{\circ}$
AF	$270^{\circ}$ to $360^{\circ}$	NW	R.B. = $360^{\circ}$ - W.C.B.

Conversion from R.B. to W.C.B. with reference to Figure 6.2 is given below:

Line	R.B.	Rule for W.C.B	W.C.B between
AB	N $\alpha$ E	W.C.B. = R.B.	0° to 90°
AC	S $\beta$ E	W.C.B. = 180°-R.B.	90° to 180°
AD	S $\theta$ W	W.C.B. = 180 ° + R.B.	180° to 270°
AF	N $\phi$ W	W.C.B. = 360°-R.B.	270° to 360°

## 6.4 Fore and Back bearing

*Backward Bearing (B.B.):* If the bearing of a line **AB** is measured from **B** toward **A**, it is known as **Backward Bearing** or **Back Bearing**.

*Forward Bearing (F.B.):* If the bearing of a line **AB** is measured from **A** toward **B**, it is known as **Forward Bearing** or **Fore Bearing**.

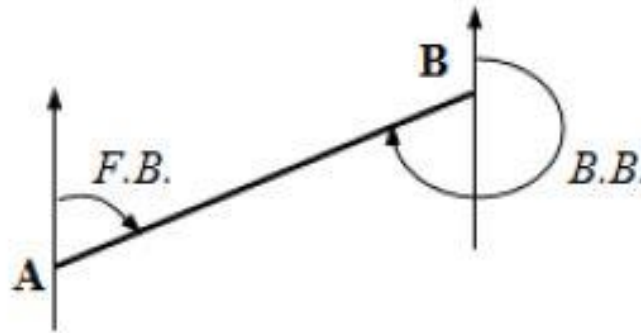
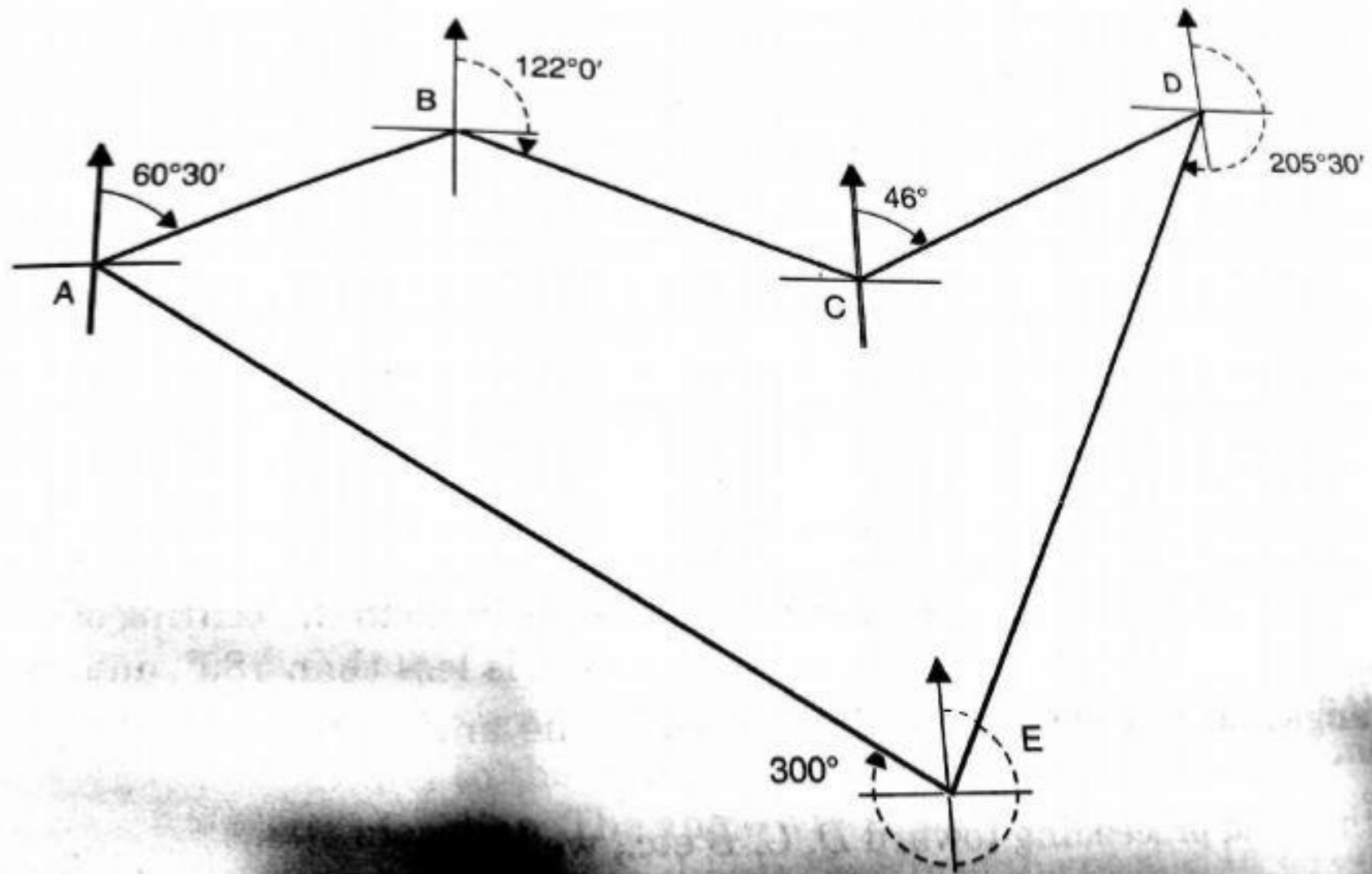


Figure 6.3: Forward and Back bearing

**Example 5.3:**

The following bearings were observed with a compass. Calculate the interior angles.

Line	Fore Bearing
AB	60°30'
BC	122°0'
CD	46°0'
DE	205°30'
EA	300°0'



$$\text{Bearing of AE} = 300^\circ - 180^\circ = 120^\circ$$

$$\angle A = \text{Bearing of AE} - \text{Bearing of AB} = 120^\circ - 60^\circ 30' = 59^\circ 30'$$

$$\text{Bearing of BA} = 180^\circ + 60^\circ 30' = 240^\circ 30'$$

$$\angle B = \text{Bearing of BA} - \text{Bearing of BC} = 240^\circ 30' - 122^\circ = 118^\circ 30'$$

$$\text{Bearing of CB} = (180^\circ + 122^\circ) = 302^\circ$$

$$\angle C = \text{Bearing of CB} - \text{Bearing of CD} = 302^\circ - 46^\circ = 256^\circ$$



$$\text{Bearing of DC} = 180^\circ + 46^\circ = 226^\circ$$

$$\angle D = \text{Bearing of DC} - \text{Bearing of DE} = 226^\circ - 205^\circ 30' = 20^\circ 30'$$

$$\text{Bearing of ED} = 205^\circ 30' - 180^\circ = 25^\circ 30'$$

$$\angle E = (360^\circ - \text{Bearing of EA}) + \text{Bearing of ED} = 360^\circ - 300^\circ + 25^\circ 30' = 85^\circ 30'$$

**Check:**

$$\angle A + \angle B + \angle C + \angle D + \angle E = 540^\circ$$

$$\text{For a pentagon summation of interior angles} = (2n - 4) * 90^\circ = (2 * 5 - 4) * 90^\circ = 540^\circ$$