

CE 415

DESIGN OF STEEL STRUCTURES

LECTURE 8

BOLTS (continue)

SEMESTER: SUMMER 2021

COURSE TEACHER: SAURAV BARUA

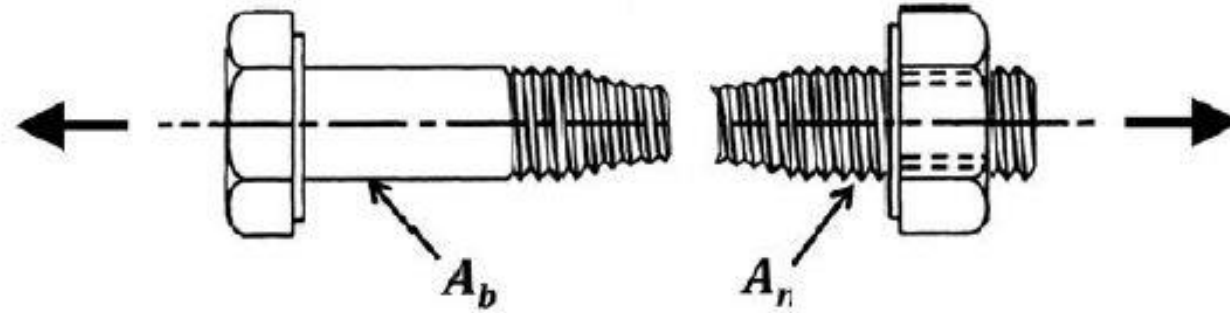
CONTACT NO: +8801715334075

EMAIL: saurav.ce@diu.edu.bd

OUTLINE

- Tensile strength of bolt
- Bearing type
- Problem on bearing and shearing strength of bolts

Tensile Strength of a bolt shank



The nominal tensile strength R_n of a bolt

$$R_n = F_u^b A_n$$

Where, R_n = nominal strength of a bolt

F_u^b = tensile strength of bolt material

A_n = net area of bolt at the threaded portion

A_b = gross area of bolt shank

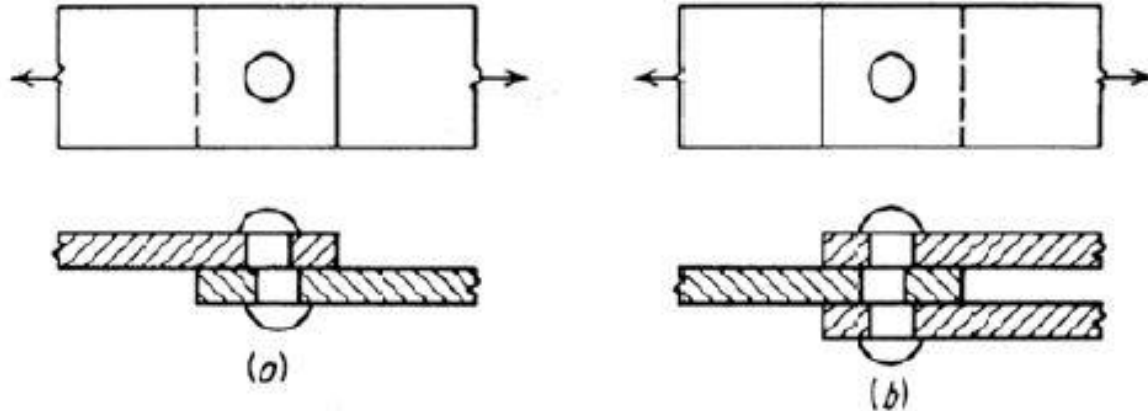
Generally $A_n = 0.75A_b$ to $0.79A_b$

Bearing type bolts

Bearing type bolts have two limit states

- i) Shear Strength
- ii) Bearing Strength

□ Shear Strength



Single shear plane, $m = 1$

Double shear plane, $m = 2$

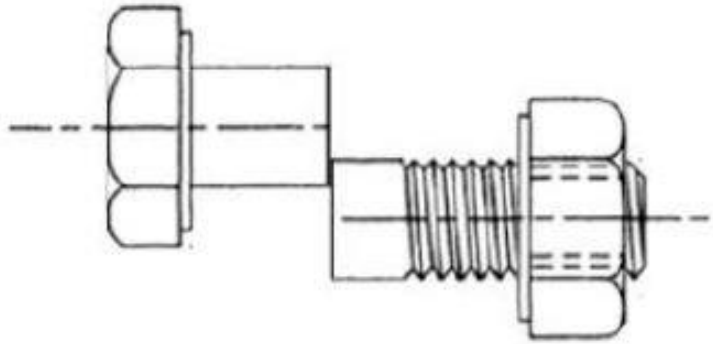
Nominal shear strength per bolt, $R_n = mA_bF_{nv}$

Where, A_b = gross area of bolt at shank

F_{nv} = nominal shear stress of bolt

Bearing type bolts

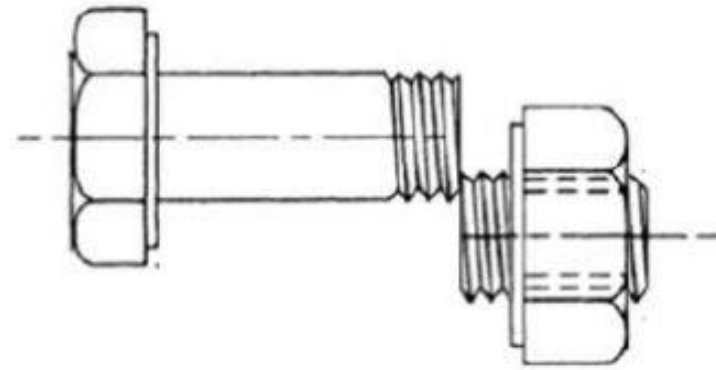
□ Shear Strength continued..



Case I : No threads in shear plane

F_{nv} = nominal shear stress of bolt = $0.5F_u^b$

F_u^b = tensile strength of **bolt material**



Case II : When threads are included in shear plane

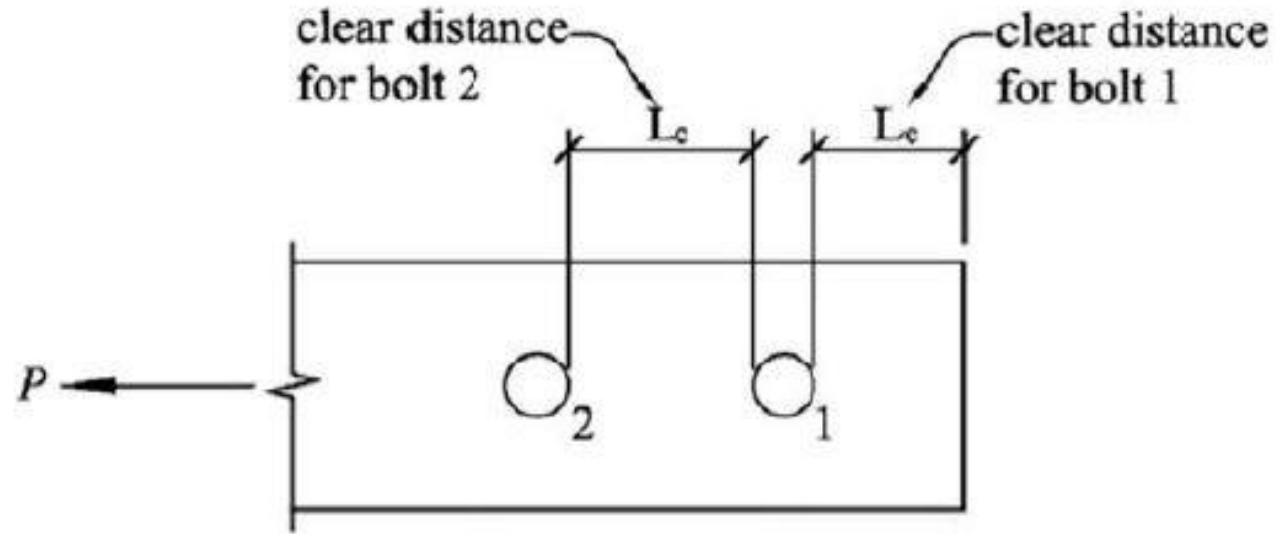
F_{nv} = nominal shear stress of bolt = $0.4F_u^b$

F_u^b = tensile strength of **bolt material**

If nothing mentioned about shear plane, assume threads are included in shear plane (Case II)

Bearing type bolts

□ Bearing strength



Nominal Bearing Strength per bolt, $R_n = 1.2L_c t F_u \leq 2.4dt F_u$

Where,

L_c = clear distance

t = thickness of plate

d = dia of bolt

F_u = Ultimate tensile strength of **plate material**

Bearing type bolts

After investigating the strength in both shear and bearing, the smaller value controls. The next step is to find the design strength as per LRFD or ASD

$$\text{Design strength (LRFD)} = \Phi R_n$$

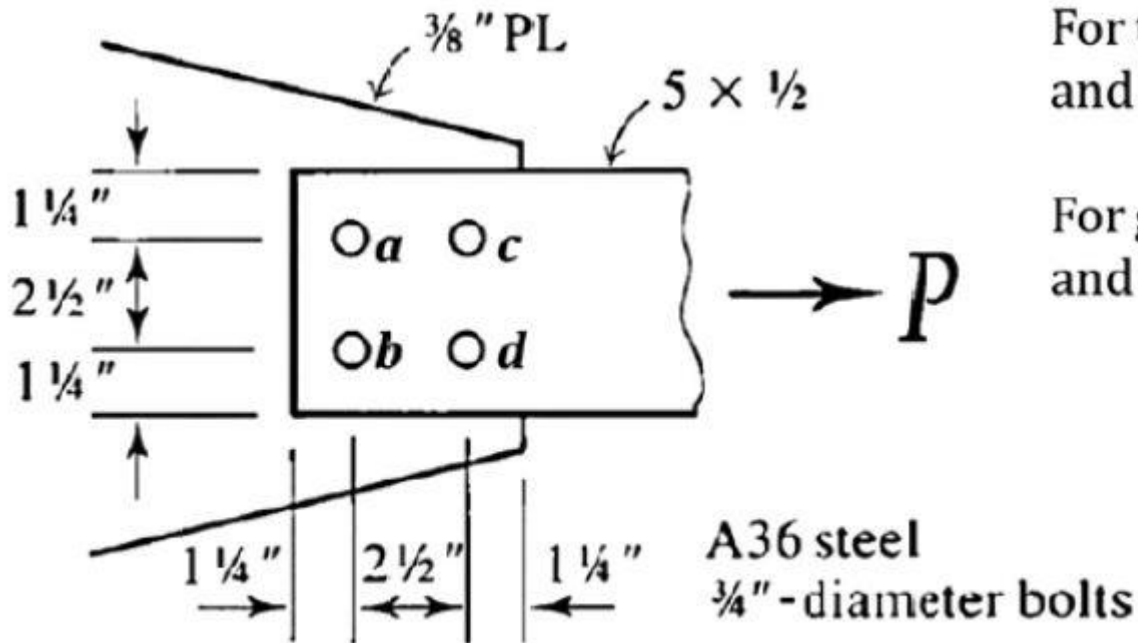
Where, $\Phi = 0.75$

$$\text{Allowable strength (ASD)} = \frac{R_n}{\Omega}$$

Where, $\Omega = 2.00$

Example:

Determine the design load P for the bolted connection shown in Fig. below. Consider bearing and shear strength of bolts only. All bolts are A490 ($F_{by} = 130$ ksi, $F_{bu} = 150$ ksi) and plates are A36 steel ($F_y = 36$ ksi, $F_u = 58$ ksi).



For tension plate, bolts a and b are exterior bolts.

For gusset plate, bolts c and d are exterior bolts.

A36 steel
 $\frac{3}{4}$ " -diameter bolts

SOLUTION:

Assume threads are included in shear plane. Nominal shear capacity of each bolt,

$$R_{ns} = mF_{nv}A_b = 1.0(0.4 \times 150)(\pi/4)(3/4)^2 = 26.5 \text{ kip}$$

Bearing Strength

GUSSET PLATE: $2.4dtF_u = 2.4(3/4)(3/8)58 = 39.15 \text{ kip}$

Exterior bolt: $L_c = 1.25 - (3/4 + 1/16)/2 = 0.844 \text{ in.}$

$$\therefore R_{ne} = 1.2L_c t F_u = 1.2(0.844)(3/8)58 = 22 \text{ kip/bolt}$$

Interior bolt: $L_c = 2.5 - (3/4 + 1/16) = 1.69 \text{ in}$

$$\therefore R_{ni} = 1.2L_c t F_u = 1.2(1.69)(3/8)58 = 44 \text{ k} > 2.4dtF_u \therefore R_{ni} = 39.15 \text{ kip/bolt}$$

TENSION PLATE: $2.4dtF_u = 2.4(3/4)(1/2)58 = 52.2 \text{ kip}$

Exterior bolt: $L_c = 1.25 - (3/4 + 1/16)/2 = 0.844 \text{ in.}$

$$\therefore R_{ne} = 1.2L_c t F_u = 1.2(0.844)(1/2)58 = 29.4 \text{ kip/bolt}$$

Interior bolt: $L_c = 2.5 - (3/4 + 1/16) = 1.69 \text{ in}$

$$\therefore R_{ni} = 1.2L_c t F_u = 1.2(1.69)(1/2)58 = 58.8 \text{ k} > 2.4dtF_u \therefore R_{ni} = 52.2 \text{ kip/bolt}$$

Gusset plate strengths are lower than tension plate strengths. Comparing bearing and shear strengths, it is observed that for gusset plate:

exterior bolts \rightarrow *bearing governs* and for

interior bolts \rightarrow *shear governs*

Thus $P_n = 2(22) + 2(26.5) = 97 \text{ kip}$

ASD: $P_n/\Omega = 97/2.0 = 48.5 \text{ kip}$

LRFD: $\phi P_n = 0.75(97) = 72.75 \text{ kip}$